

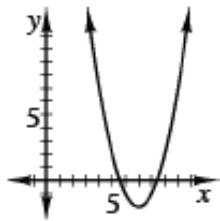
## Lesson 2.1.3

**2-31. See below:**

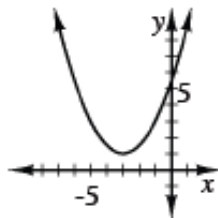
- a.  $(-9, 0)$ , opens up, none
- b.  $(0, 7)$ , opens up, none
- c.  $(0, 0)$ , opens up, stretch
- d.  $(1, 0)$ , opens up, compression
- e.  $(7, 6)$ , opens down, none
- f.  $(-3, -8)$ , opens up, stretch. See Suggested Lesson Activity section for strategies for making accurate graphs.

**2-32.** Students should answer that they need the vertex and stretch factor (or  $a$ -value).

- a. vertex at  $(7, -2)$ , opens up



- b. vertex at  $(-3, 1)$ , opens up and compressed by one half.



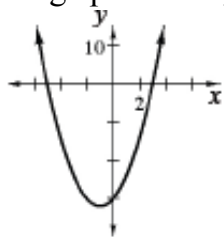
**2-33. See below:**

- a. upward,  $a > 0$ , change 2 to  $-2$
- b. 2, it is the coefficient of  $x^2$ .
- c. The vertex is  $(-1, -32)$ .
  - i.  $(-5, 0)$  and  $(3, 0)$

ii. The vertex is directly between the  $x$ -intercepts. Its  $x$  coordinate is  $-1$ .

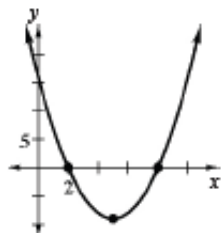
iii.  $-32$

d. See graph below.  $y = 2(x + 1)^2 - 32$

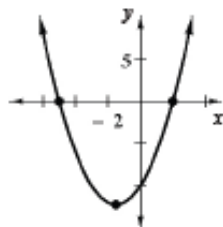


**2-34. See below:**

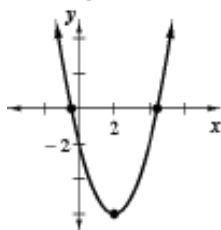
a.  $(8, 0), (2, 0), x\text{-avg.} = 5, f(5) = -9, \text{vertex}(5, -9), p(x) = (x - 5)^2 - 9$



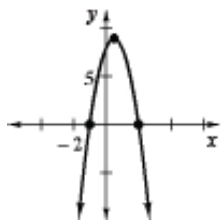
b.  $(-5, 0), (2, 0), x\text{-avg.} = -\frac{3}{2}, f(\frac{3}{2}) = -\frac{49}{4}, \text{vertex}(-1.5, -12.25), f(x) = (x + \frac{3}{2})^2 - \frac{49}{4}$



c.  $(2 \pm \sqrt{6}, 0), x\text{-avg.} = 2, g(2) = -6, g(x) = (x - 2)^2 - 6$



d.  $(2, 0), (-1, 0), x\text{-avg.} = \frac{1}{2}, h(\frac{1}{2}) = 9, \text{vertex}(\frac{1}{2}, 9), h(x) = -4(x - \frac{1}{2})^2 + 9$





**2-35. See below:**

- a.  $y = 0$  or  $6$
- b.  $n = 0$  or  $-5$
- c.  $t = 0$  or  $7$
- d.  $x = 0$  or  $-9$
- e. There is no constant term when each equation is set equal to zero, so the variable is a common factor after like terms are collected.

**2-36. See below:**

- a.  $(7, -16), y = (x - 7)^2 - 16$
- b.  $(2, -16) y = (x - 2)^2 - 16$
- c.  $(7, -9), y = (x - 7)^2 - 9$
- d.  $(2, -1)$

**2-37. See below:**

- a.  $(2, -1)$
- b. When  $x = 2$ ,  $(x - 2)^2$  will equal zero and  $y = -1$ , the smallest possible value for  $y$  in the equation. So the  $y$ -value of the vertex is the minimum value in the range of the function.

**2-38. See below:**

- a. 9.015 gigatons
- b.  $C(x) = 8(1.01)^{(x+2)}$  if  $x$  represents years since 2000 or  $8.16(1.01)^x$ .

**2-39.** Let students figure out what form is more useful.

- a. 2
- b. 1
- c. 1

d. 2

e. 2

f. 1

g. Students check their predictions with a calculator

h. If the factored version includes a perfect-square binomial factor, the parabola will touch at one point only.

**2-40. See below:**

a. 4

b.  $\frac{1}{16x^4y^{10}}$

c.  $6xy^2$

**2-41. See below:**

a.  $\frac{8}{27}$

b.  $\frac{12}{27}$

c.  $\frac{6}{27}$

d.  $\frac{1}{27}$