Lesson 4.1.3

4-36. See below:

- a. No solution, these are parallel lines
- b. (2, 3), line is tangent to parabola
- c. There are two intersection points, (4, 2) and (1, -1)
- d. Infinite solutions, they are the same line.

4-37. See below:

- a. At this point, students may expect two solutions. However, in part (b) they will discover that there are actually four solutions.
- b. There are four solutions: (4, 3), (-4, 3), (-3, -4), and (3, -4).
- c. Answers vary; expected response: $x^2 + (x^2 13)^2 = 25$ and $y^2 + y 12 = 0$; the equation in terms of y is easier to solve.
- d. When y = 3, $x = \pm 4$. When y = -4, $x = \pm 3$.

4-38. See below:

- a. Some strategies include flipping the parabola upside-down, decreasing the radius of the circle, translating the parabola up above the circle, and widening the parabola to miss the circle.
- b. Answers vary.



4-40. See below:

- a. (-2, -11), The lines intersect at one point
- b. infinite solutions, The equations are equivalent
- c. (2, 45) and (-1, 3), The line and parabola intersect twice

d. (3, 6), The line is tangent to the parabola

4-41. See below:

a. y = 3 or y = -5b. $x = -\frac{99}{4}$ c. y = 1d. x = -13

4-42. See below:

a. E t(n) = -2 + 3n; R t(0) = -2, t(n + 1) = t(n) + 3b. $E t(n) = 6(\frac{1}{2})^n$; R t(0) = 6, $t(n + 1) = \frac{1}{2}t(n)$ c. t(n) = 10 - 7nd. $t(n) = 5(1.2)^n$ e. t(4) = 1620

4-43. 19.79 feet

4-44. See below:

- a. $m = -\frac{6}{5}, b = (0, -7)$ b. $m = \frac{3}{2}, b = (0, -5)$
- c. m = 2, b = (0, -12)

4-45. See below:

- a. not function D: $-3 \le x \le 3$ R: $-3 \le y \le 3$
- b. a function D: $-2 \le x \le 3$ R: $-2 \le x \le 2$

4-46. (-7, 11)