

## Lesson 6.1.3

**6-30. See below:**

- a.  $e^x$
- b.  $(\ln 7)(7^x)$
- c.  $3e$
- d.  $21 \ln 7$

**6-31.**  $\cos(x)$  is inside of  $3^x$

**6-32. See below:**

- a.  $3 \cos(3x)$
- b.  $(\ln 5)(5^x)$
- c.  $e^{3x}(1 + 3x)$
- d.  $-(\ln 5)(\sin x)(5^{\cos x})$
- e.  $(\ln 3)(3^x) \cos(3^x)$
- f.  $(ex^2 - 5)(3x^2 + 2x^4)$
- g.  $-(\ln 2)(\csc^2 x)(2^{\cot x})$
- h.  $e^{\tan x} \sec^2 x$
- i.  $-6(\ln 2)(\csc^2 x)(2^{\cot x})$
- j.  $(\ln 10)(\sec x \tan x - \csc x \cot x) \cdot (10^{\sec x + \csc x})$

**6-33.**  $V = 1.10^t$ ,  $V' = \ln(1.10)1.10^t$ ,  $V'(10) \approx 25¢$  per year



**6-34. See below:**

- a. 1.647% and 1.691%; Nearly the same, so yes.
- b. Answers will vary, depending on assumed growth rate and starting year. One model is  $33.765(1.01669)^t$  where  $t$  is years since 2000.
- c. About 47.015 million
- d.  $\approx 573,000$  people
- e. The approximate population growth during a year is the starting population multiplied by a constant growth factor or “multiplier.” In this situation, the multiplier is  $\approx 0.0167$ .

**6-35. See below:**

- a.  $\frac{6^x}{\ln 6} - 3 \sec x + C$
- b.  $\frac{64}{15} \pi$
- c. 16.5
- d.  $-\frac{18}{\sqrt[3]{m}} + C$

**6-36.** At  $x = 0$  because the slopes on both sides do not agree.

**6-37. See below:**

- a. Two hemispheres connected by a smaller cylinder.
- b.  $315\pi \text{ in}^3$

**6-38. See below:**

- a. 1
- b.  $(\ln 10)10^x \sec^2 10^x$
- c.  $\cos t$
- d.  $(\sec^2 e^x)e^x$
- e.  $-(3 \ln 2)w^2 \sin(w^3)2^{\cos(w^3)}$

**6-39. See below:**

- a. Velocity is the antiderivative of acceleration.
- b.  $v(t) = -32t + 120$
- c.  $s(t) = -16t^2 + 120t + 100$

d.  $-144$  ft/sec

e.  $325$  ft

f.  $t \approx 8.258$  ft

**6-40.** No; graph can have a cusp.